

The “Peralta Formula” for blood flow rate is given by  $F = \frac{p_1 - p_2}{r}$ , where  $F$  is the flow rate,  $p_1$  is the initial pressure,  $p_2$  is the final pressure, and  $r$  is the resistance created by the blood vessel size.

Solve the equation for  $p_2$

$$p_2 = p_1 - Fr$$

If  $a$  and  $b$  are negative numbers, find an expression that correctly solves for  $x$  in terms of  $a$  and  $b$ :

$$3ax \geq ab - 2bx$$

$$x \leq \frac{ab}{3a + 2b}$$

Identify the slope and y-intercept:

$$9x + 2y = 12$$

y-intercept: 6  
slope: -4.5

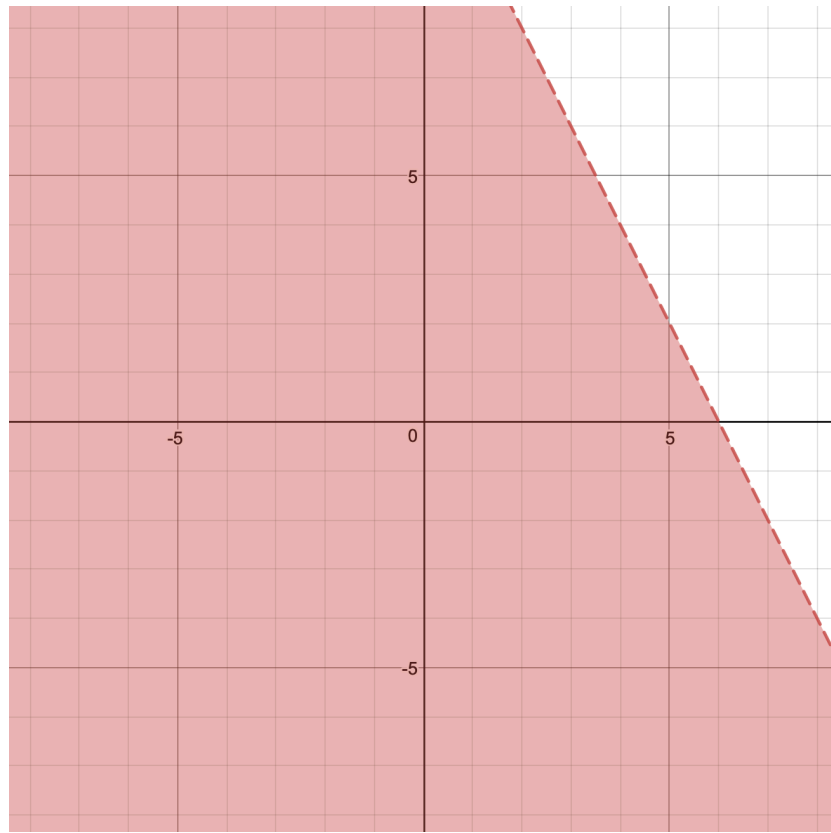
Tony makes a phone call at a pay phone. The charge is 25 cents for the first four minutes, and 10 cents for each additional minute. Tony has \$2.10 in change in his pocket. Write an inequality that can be used to find  $m$ , the maximum number of minutes that Tony can talk on the phone. Solve this inequality algebraically to find the maximum number of whole minutes he can talk on the phone.

$$0.25 + 0.1(m - 4) \leq 2.10$$

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Graph the inequality:

$$y + 2x - 4 < 8$$



Peter begins his kindergarten year able to spell 10 words. He is going to learn to spell 2 new words every day. Write an inequality that can be used to determine how many days,  $d$ , it takes Peter to be able to spell *at least* 75 words. Then solve the inequality.

$$10 + 2d \geq 75$$

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Solve for  $x$  in terms of  $a$  and  $b$ :

$$b(x - 4) = ax + 8b$$

$$x = \frac{12b}{b - a}$$

The “Sweeney Formula” for blood flow rate is given by  $F = p_1 - \frac{p_2}{r}$ , where  $F$  is the flow rate,  $p_1$  is the initial pressure,  $p_2$  is the final pressure, and  $r$  is the resistance created by the blood vessel size.

Solve the equation for  $p_2$



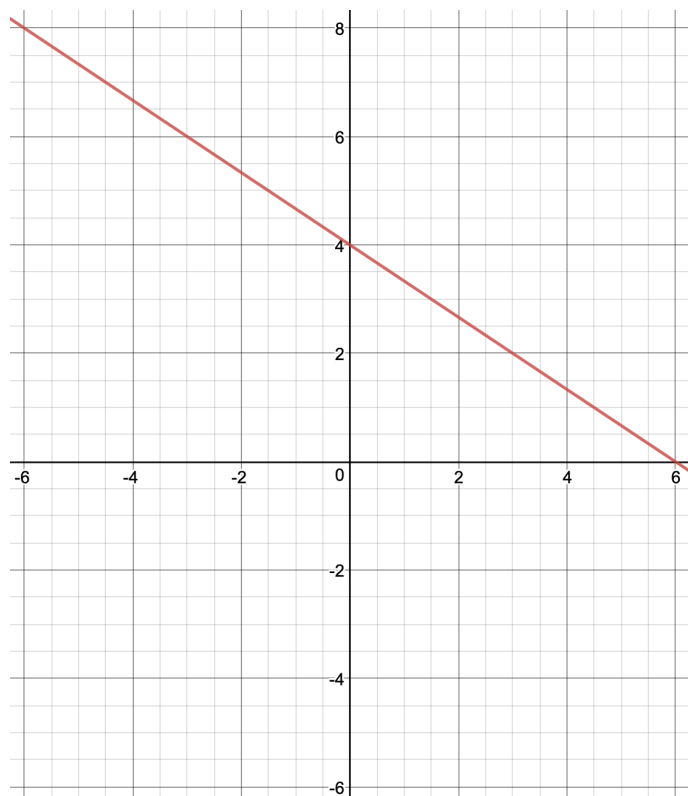
$$p_2 = rp_1 - rF$$

Identify the slope and y-intercept of the graph that passes through the points  $(-2, 4)$  and  $(1, 7)$

y-intercept: 6  
slope: 1

Graph the equation:

$$y = 4 - \frac{2}{3}x$$



Students in a ninth grade class measured their heights,  $h$ , in centimeters. The height of the shortest student was 155 cm, and the height of the tallest student was less than 190 cm.

Create and graph an inequality to represent this situation.

$$155 \leq h < 190$$



Solve the inequality:

$$7x + 12 - 5x < 2x + 3(x - 1)$$

If  $x$  is a number in the interval  $[4, 8]$ , state all the integers that satisfy the given inequality.

6, 7, 8

Marvin solved the equation  $3x + 1 = 2^x - 3$  by creating a table (below). Find the solution to the equation.

$x$	 $3x + 1$	 $2^x - 3$
1	4	-1
2	7	1
3	10	5
4	13	13
5	16	29

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Natasha is planning a school celebration and wants to have live music and food for everyone who attends. She has found a band that will charge her \$750 and a caterer who will provide snacks and drinks for \$2.25 per person. If her goal is to keep the average cost per person between \$2.75 and \$3.25 (inclusive), create and graph a compound inequality to represent the number of people,  $p$ , that must attend.

[Note: This may be the most challenging type of question on the test, so pay attention!]

$$750 \leq p \leq 1500$$

Reason:

1. The cost per person is made up of the band and the food
2. The food is \$2.25 per person.
3. The band is \$750 in total.
4. Situation 1: Total cost per person is \$2.75. Since the food is \$2.25 per person, the band will be \$0.50 per person. Divide  $750 \div 0.50 = 1,500$  people.
5. Situation 2: Total cost per person is \$3.25. Since the food is \$2.25 per person, the band will be \$1.00 person. Divide  $750 \div 1 = 750$  people.
6. Conclusion: Minimum of 750 people and maximum of 1,500 people. This is written -  $750 \leq p \leq 1500$

If  $a = 5$ , find the largest integer for  $x$  that will make the inequality true:

$$a(x - 3) + a < 2x + 7a$$

